## Combining Operations for Bounds

When combining operations to do with bounds, you need to be careful to make the choice of which bounds to use to reach the correct solution.

| Operation | Rule to determine the correct solution |
| :---: | :---: |
| Adding | Upper bound + upper bound $=$ upper bound <br> Lower bound + lower bound $=$ lower bound |
| Subtracting | Upper bound - lower bound $=$ upper bound <br> Lower bound - upper bound $=$ lower bound |
| Multiplying | Upper bound $\times$ upper bound $=$ upper bound <br> Lower bound $\times$ lower bound $=$ lower bound |
| Dividing | Upper bound $\div$ lower bound $=$ upper bound <br> Lower bound $\div$ upper bound $=$ lower bound |

Density, $\rho=\frac{\text { mass }}{\text { volume }} \quad$ Speed $=\frac{\text { distance }}{\text { Time }} \quad$ Range $=$ maximum - minimum

$$
\text { Volume }_{\text {Sphere }}=\frac{4}{3} \pi r^{3}
$$

## Find the error interval for each of the following:

1 The mass of a ball is rounded to the nearest 100 grams. The mass of the ball is 700 g . The ball has a radius of 12 cm rounded to the nearest cm . Calculate the error interval for the density of the ball.
2 The length of some pieces of string is rounded to the nearest mm. Find the error interval for the lengths of the pieces of string which are rounded to $42 \mathrm{~mm}, 63 \mathrm{~mm}$ and 128 mm .
3 A golfer estimated the distance he hit his ball to the nearest 10 metres. He thought he had hit it 210 metres. It took the ball 8 seconds to travel the distance (to the nearest second). How fast was the ball travelling?
4 Jupiter has a mass of $1.898 \times 10^{27} \mathrm{~kg}$ rounded to the nearest $10^{24} \mathrm{~kg}$. The diameter of Jupiter is $139,822 \mathrm{~km}$. What is the density of Jupiter?

